

## Aplicaciones de Calidad de energía sincronizada

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### Introducción

Las mediciones de fasores sincronizados (sincrofasores), hechas a partir de unidades de medición fasorial o PMU (del inglés, Phasor Measurement Unit), han sido ampliamente aceptadas para mediciones de área amplia en la red eléctrica. Son importantes porque permiten comparar datos de diferentes ubicaciones como si hubiesen sido tomados por un solo instrumento, con todos los canales muestreados al mismo tiempo. Esto es posible por la sincronización de las PMUs usando un sistema de distribución de tiempo común, típicamente GPS pero también es posible usando métodos como protocolo de tiempo preciso IEEE-1588.

Tener los datos sincronizados es importante, porque permite medidas como las variaciones del ángulo de fase a lo largo de un área amplia. Este documento mostrará que dicha sincronización también es deseable para datos de calidad de energía, y de hecho es necesaria para mediciones donde los datos están siendo comparados o usados para cálculos, y los datos se originan en lugares diferentes.

El estándar actual IEC 61000-4-30 es comúnmente usado cuando se hacen mediciones de calidad de energía, armónicos en particular. Este estándar fue escrito primeramente para determinar si se cumple con requerimientos legales de calidad de energía, y como tal se enfoca en medidas hechas en un solo lugar. Sí describe el significado de estampado de tiempo de las mediciones, para agregar secuencias de medidas, y de hecho impone requerimientos específicos para el método de medida. Veremos aquí que estos requerimientos no son adecuados para las mediciones de armónicas hechas en ubicaciones diversas, cuando una aplicación intenta hacer cualquier clase de determinación del desempeño de la calidad de energía en un área amplia.

Observaciones similares pueden hacerse para otras mediciones de calidad de energía, tales como flicker. Las mediciones de flicker se especifican en IEC 61000-4-15, y mientras este estándar sugiere un diagrama de bloque para el medidor de flicker, no impone unos requerimientos normativos para los métodos. De hecho, cualquier método que cumpla con los estándares de desempeño, puede ser usado. Esto provee flexibilidad adicional, pero el hecho fundamental todavía permanece: se requiere sincronización para un área amplia.

### Medidas sincronizadas vs estampado de tiempo

‘Mediciones sincronizadas’ son: medidas hechas sustancialmente en momentos idénticos en tiempo en diferentes ubicaciones o equipos. Por instancia, la PMU (de acuerdo al estándar IEEE C37.118.1) genera una estimación de fasores exactamente al tope del segundo (por ejemplo, estimando los parámetros de la señal por  $xx.0000$  veces por segundo), y cada  $T_s$  después.  $T_s = 1/F_s$ , donde  $F_s$  es la razón de repeticiones, típicamente igual a la frecuencia nominal del sistema, o la mitad de ella (por ejemplo, 25 ó 50/s para un sistema de 50 Hz, y 30 ó 60/s para un sistema de 60 Hz). Esto se hace usando la data recogida en un intervalo controlado por un reloj sincronizado con una fuente de tiempo de estándar reconocido, típicamente UTC. Dado que todas las PMUs están sincronizadas a la misma fuente de tiempo, harán mediciones al mismo punto de tiempo con una pequeña tolerancia. Esta pequeña tolerancia es típicamente mejor que un microsegundo.

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The Model 1133A uses overlapping, 100 ms data windows (each containing 1024 samples), using Hann weighting of the data window. The Hann window is a 'raised cosine' window:

$$W = 0.5 - 0.5 \cos(2\pi \cdot x);$$

where  $x$  varies from zero to one from the beginning to the end of the window. This window has the desirable characteristic that when subsequent measurement results are aggregated, each data sample has unity weighting in the resulting sum, except for the 50 ms at the beginning and end of the first and last window. The initial and final 'tails' have the same shape as the original window function: a half cosine, for the Hann window.

Dr. Andrew Roscoe calls this process 'tessellation.' This term is taken from the building of mosaics, and in computer graphics when 'tiling' images to create the illusion of 3D. Here, it involves building up a longer measurement by adding together results of a series of shorter measurements. This process may be applied repeatedly, for instance, to aggregate data over windows of 3 seconds and then 10 minutes. Windows used to perform tessellation require certain properties. Such windows maintain the desirable characteristic of tessellation over longer and longer intervals, when the data are properly aggregated.

The rectangular or uniform window, and a cascade (convolution) of two rectangular windows – the triangular or Bartlett window, also the P-class filter in IEEE Std C37.118.1 for synchrophasors – are other examples of window functions having this property. Windows that share this property have a Fourier expansion in which all of the even-order frequency terms have zero magnitude, except for the dc term. Even-order terms reinforce in such an aggregation, where odd-order terms cancel; so the only even-order term that should be non-zero is the dc or 0<sup>th</sup> order term. The Hann window has this property; so do the Hamming and Bartlett, but the Blackman does not – it includes a 2<sup>nd</sup> order component that creates a ripple of the weighting of the points when aggregated.

Another way of saying this is that for each point of the window function  $W(n)$  for  $n = 0 \dots N/2$ , if  $W(n) + W(n+N/2) = K$  with  $K$  a constant (ideally 1), then the window has this 'tessellation property.' For a window function to be used with the FFT,  $N$  is generally a power of 2; but that is not required for this observation to be true. Many windows don't have the tessellation property; but there are several that do.

In the Model 1133A, we provide once per second aggregated results of 20 windows, starting with the one *beginning* at the previous top of second and ending with the one *centred* at the current top of second. (These results may be further aggregated in applications software.) Aggregation is performed by root-mean-square averaging of the moduli of each harmonic in the 20 data sets. Absolute (i.e. relative to UTC top of second, as for synchrophasors) phase angle is determined as the argument (arc-tangent) of the data for the window centred at the current top of second. A total of 600 numbers are provided each second: absolute phase and magnitude for each of 50 harmonics, for all six channels. (Relative phase between voltage and current can easily be found by subtracting the phase of the harmonic voltage and current. Absolute phase cannot be found using the opposite, as with a standard PQ analyser.)

The Hann window (like most window functions except the rectangular or uniform window) tapers to zero (or for some windows, a small number) at the ends of the window. This is what minimises the signal-spreading problem caused by a non-integer number of fundamental cycles in the measurement window. The spreading results in effect from the transient caused by the 'jump' which would appear when the data in the window repeats. The FFT in effect presumes that the data in the window is a representative sample (period) of a periodic sequence that starts at negative infinity and continues to positive infinity. If the points at the beginning and end of the window do not 'connect' seamlessly, a step is generated, and this step has a frequency spectrum that extends from dc to infinity. These additional frequency components cause the spreading of the spectrum as it appears in the output of a Fourier spectral analysis.

The trade-off of using weighting with a window function is that the main 'lobe' of the resulting spectrum is broadened. This is a consequence of all weighting filters, and in fact the greater the suppression of the signal spreading due to the Gibbs phenomenon provided by a given window function, the more the main lobe of the resulting spectrum is broadened. Simply adding together the total energy in the resulting broadened spectrum can compensate for this. This is three bins in the case of the Hann window. Or, the exact transfer function for the window function at off-nominal frequencies may be determined and used for a more precise correction. However, the accuracy requirements for harmonics imposed by the standards (5% of harmonic magnitude) do not require this level of correction, and the simpler method suffices. The standards are likely adequate in this particular regard, since in the power system, harmonic magnitudes are quite variable on a second to second basis.

For the Hann window, a signal at the centre of a frequency bin (e.g. a 50 Hz signal for a 100 or 200 ms window) will be spread into three bins: the expected one plus the two adjacent ones. The commonly used Blackman window, which has even more rejection of signal spreading, spreads the spectrum into five bins. Other, less-common filters, such as the Nuttall 4-term (7 bins), provide even more out of band rejection at the expense of even broader signal spreading.

For our purposes, we determined that the Hann window was the optimum one for this application, because it provides sufficient rejection of spreading effects due to the Gibbs phenomenon, and provides the further benefit of uniform weighting of input samples during aggregation; the Blackman and Nuttall windows do not.

Note also that measurement of interharmonics is significantly improved by this approach, since these signals are not harmonically related to the fundamental and the ‘integer number of fundamental cycles’ method will not in general provide reduction of spectral spreading for the non-harmonically-related interharmonics. This effect is quite severe for the uniform window. Weighting with a window function works equally well for all signals, regardless of their relationship to the fundamental frequency or the window length.

With this modification to the requirements of IEC 61000-4, we can provide harmonics measurements that have the same feature as PMU measurements: they are made for windows centred exactly at the top of second and each 50 ms thereafter. This will be true, within the synchronisation performance limits of the Model 1133A, for all devices located anywhere in the world. Further, the harmonic measurements are compliant with IEC 61000-4 in all performance regards.

### **Flicker (IEC 61000-4-15); Sags/Swells/Interruptions (IEC 61000-4-30)**

Everything said here about the theory of the measurements, and noted below regarding applications, also applies to flicker and for that matter, to sags, swells, and interruptions. These measurements should also be performed using synchronised data, and the measurement algorithms should preserve that synchronisation. We have followed this approach in our Model 1133A, and suggest that other vendors should do the same to promote interoperability.

Flicker is measured using a complex model to estimate the human annoyance caused by amplitude variations of the power signal. This model, specified in 61000-4-15, includes infinite-impulse-response (IIR) filters that have long decay times; nevertheless, we have found that the instantaneous flicker perception data can be meaningfully compared between instruments and locations using synchronised data samples. Despite the ‘obfuscation’ introduced by the relatively complex signal-processing model, significant improvements result from synchronisation.

Sags, swells, and interruptions, like 61000-4-7 harmonics, also use zero crossings to start the measurement. The definition of these impairments does not as readily allow identical measurement windows across a network; but using synchronised samples does allow precise determination of the time of occurrence of sags, swells, and interruptions.

## **Applications**

### *Propagation of power quality disturbances*

There is a desire to understand how power quality disturbances propagate throughout the power grid, both locally and over wide areas. This is basically a *transimpedance* measurement: i.e., the ratio of a voltage measured at a remote location, caused by a current injected at a given point:

$$Z_T = \frac{V_{meas}}{I_{inj}}$$

To make this measurement accurately, both the injected current and the resulting voltage (which are complex quantities, i.e. having magnitude and phase) must be measured over the same interval, using the same time scale. This requires synchronised measurements. This measurement can be made for any of the disturbances described above: harmonics, flicker, and sags/swells/interruptions. (Note that the Arbiter 1133A provides measurements of flicker on both current and voltage channels – the standard applies only to voltage measurements; but with measurement of flicker on induced (load) currents, this same method may be applied to flicker as well, enabling transimpedance measurement.)

Many practical considerations are likely to enter into the problem when making these measurements. Specifically, performing an ANOVA (analysis of variance) can, with enough independent variables and sufficient data, separate the various PQ contributions from different sources in a grid. It remains to be seen how many different measurement points, and how long an interval of observation, will be required. Nevertheless, with synchronised measurements there exists the possibility of separating the effects.

Another potential contribution of synchronised measurements is that auto- and cross-correlation methods may be used if the data are measured using complex numbers (i.e., including phase angle – not simple magnitudes). Complex measurements require synchronisation; non-synchronised measurements do not provide useful phase information. Cross-correlation techniques may prove more powerful than traditional statistical ANOVA methods.

#### *Estimation of line impedance*

Estimation of line impedance is a useful part of understanding how PQ disturbances propagate. Line impedance may be estimated at the fundamental frequency using PMU measurements, but what about harmonic frequencies? Clearly the impedance will be quite different at these higher frequencies than at the fundamental, if for no other reason than that in most cases the line impedance is dominated by the inductance of the wire transmission lines, and the reactance of this inductance increases with frequency. However there are other effects which keep this relationship from being a simple linear one, such as the contributions of underground cable inter-wire capacitance, bulk capacitor banks, and other VAR compensation and voltage stability control devices, to name a few.

Line impedance can also be calculated by making measurements at geographically separated points. However, this is only possible if the complex values (voltage and current, also possibly power flows) are made using a consistent time reference, so that the resulting phase differences are meaningful. At harmonic frequencies, this requirement is even more critical than for the fundamental: a time error resulting in one degree phase error at the fundamental (measurable but perhaps tolerable) will cause 50 degrees error at the 50<sup>th</sup> harmonic – rendering the measurements all but useless. 200 ns synchronisation uncertainty will produce an additional phase angle uncertainty of 0.18 degree at 2.5 kHz, the 50<sup>th</sup> harmonic of 50 Hz. This level of performance is most likely required if useful measurements are to be made at these harmonic frequencies. (This requirement also applies to other devices in the measurement chain, such as current and voltage transducers. This is not a trivial requirement, either; though there is reason to believe that it can be satisfied through careful selection and possibly calibration of the transducers.)

Clearly, for line impedance estimation at harmonic frequencies, measurements must be made with very carefully controlled synchronisation between the various analysers. Free-running PQ analysers (or those synchronised only to the level required by IEC 61000-4-30) will provide results that are for all purposes random (i.e. useless) when trying to perform line impedance estimation using measurements from different locations, or even different instruments at the same location.

#### **Summary**

This white paper has discussed why synchronised measurements, as now practised widely in Phasor Measurement Units, are also important and useful for power quality analysis. Existing standards are somewhat problematic in this regard, especially for harmonics where, followed faithfully as to specified method, they preclude use of the appropriate techniques. Further, for all measurements, the IEC 61000-4 standards suggest that very loose time synchronisation is acceptable, and many devices presumably do not perform much better than this requirement. As we show, the requirement for accurate synchronised measurements at geographically separated locations, for applications such as those discussed here, is approximately five orders of magnitude more demanding than the standards suggest (i.e., 200 ns vs. 20 ms).

This paper has described methods developed at Arbiter Systems, Inc. to perform synchronised power quality measurements using methods similar to those used in PMUs. These methods necessarily differ from accepted international standards, but the variations are justified for these applications and do not preclude compliance with the performance requirements of the standards (only the details of the measurement methods are different).

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